SCORE: ____ / 30 POINTS

THIS QUIZ IS DUE ON MON DEC 1, 2014 @ 9:30am SHARP (NO LATES ACCEPTED). YOU WILL SCORE 0 POINTS AFTER THAT TIME. YOU MAY E-MAIL ME A CLEAR READABLE SCAN OR PHOTO OF THE COMPLETED QUIZ NO LATER THAN SUN NOV 30.

- Sign below to confirm that the work shown on this quiz is strictly your own work.
- You may have consulted your textbook, your notes and the class handouts, and used your calculator,
- **b** but you did NOT consult other people, websites, software or any other sources of help.

SIGNATURE:

- Let P be the point (-6, 1, -3). Let Q be the point (-3, -7, 5). Let R be the point (-4, -3, 2).
- Let \vec{u} be the vector with initial point P and terminal point Q.
- Let \vec{w} be the vector with initial point P and terminal point R.

Let $\vec{t} = 3\vec{j} - 7\vec{k}$.

[a] Write $3\vec{w} - 2\vec{u}$ as a linear combination of \vec{i} , \vec{j} and \vec{k} .

[b] Find a vector of magnitude 5 perpendicular to both \vec{u} and \vec{w} . (Do <u>NOT</u> use decimal approximations.)

[c] Find <u>symmetric</u> equations for the line which passes through *P* and is also perpendicular to the plane 4x - 7z = 9.

[d] Find the **general** equation of the plane which passes through P, Q and R.

[e] A force represented by the vector $4\vec{j} - 5\vec{k}$ moves an object from P to R. Find the work done.

[f] Find the area of triangle PQR. (Do <u>NOT</u> use decimal approximations.)

[g] Write $4\vec{i} - 7\vec{k}$ as the sum of 2 vectors, one parallel to \vec{w} and one perpendicular to \vec{w} . (Do **NOT** use decimal approximations.)

[h] Find the volume of the parallelepiped with vectors \vec{u} , \vec{w} and \vec{t} as adjacent edges.

[i] If the points P, Q and (1, a, b) are collinear, find the values of a and b.

[j] If $\|\vec{v}\| = 5$, and the angle between \vec{w} and \vec{v} is $\frac{2\pi}{3}$ radians, find the magnitude of $\vec{w} \times \vec{v}$. (Do **NOT** use decimal approximations.)

[k] Find <u>parametric</u> equations for the line which passes through Q and is also parallel to the line $\frac{1-y}{3} = -z = \frac{x+6}{4}$.